# LOCM: A tool for acquiring planning domain models from action traces

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### Abstract

This paper describes *LOCM*, a system which carries out the automated induction of action schema from an input language describing sets of example action sequences. The novelty of *LOCM* is that it can induce action schema without being provided with any information about predicates or initial, goal or intermediate state descriptions for the example action sequences. We envisage *LOCM* being applied in tasks for which example sequences can easily be collected, e.g. by logging workflows or moves in a computer game. In this paper we describe the implemented *LOCM* algorithm, and analyse its performance by its application to the induction of domain models for several domains. To evaluate the algorithm, we used random action sequences from existing models of domains, as well as solutions to past IPC problems.

NB: this paper is an extended version of a short ICAPS paper

### Introduction

In this paper we describe a generic tool called  $(LOCM^1)$  which we believe can be used in a range of (rather than one specific) application areas. For application areas in which *LOCM* is effective, it inputs a sentence within an abstract language of observed instances and outputs a solver-ready PDDL domain model. The strength of *LOCM* lies in the simplicity of its input: its observed instances are descriptions of plans or plan fragments within the application area. *LOCM* relies on four assumptions:

- there are many observations for it to use;
- the observations are (sub)sequences of possible action applications within the domain;
- each action application is made up of an identifier, and names of objects that it affects;
- objects in the application can be grouped into sorts, where each object of each sort behaves in the same way as any other.

Working under the assumptions of Simpson et al's objectcentric view of domain models (Simpson, Kitchin, and Mc-Cluskey 2007), we assume that a planning domain consists

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<sup>1</sup>Learning Object-Centred Models

of sets (called *sorts*) of object instances, where each object behaves in the same way as any other object in its sort. In particular, sorts have a defined set of states that their objects can occupy, and an object's state may change (called a state transition) as a result of action instance execution. LOCM works by assembling the transition behaviour of individual sorts, the co-ordinations between transitions of different sorts, and the relationships between objects of different sorts. It does so by exploiting the idea that actions change the state of objects, and that each time an action is executed, the preconditions and effects on an object are the same. Under these assumptions, LOCM can induce action schema without the need for background information such as specifications of initial/goal states, intermediate states, fluents or other partial domain information. All other current systems e.g. Opmaker (Richardson 2008), ARMS (Wu, Yang, and Jiang 2005), and the system of (Shahaf and Amir 2006) require some of this background knowledge as essential to their operation.

This first version of *LOCM* which we describe in this paper is aimed at applications which have little structure. In future work we aim to develop *LOCM* to be effective in applications which have more complex static structures such as maps, spatial rules or hierarchy. Currently, the kinds of applications domains we are experimenting with are in Games and Workflow.

## The LOCM System

# LOCM Inputs and Outputs

. . . . . .

The input to *LOCM* are a set of sound sequences of action instances. An outline, abstract specification of the input language to *LOCM* is as follows:

<sequencelist></sequencelist>		••=	
	{	"("	<sequenceid> "," <sequence> ")" }</sequence></sequenceid>
<sequenceid></sequenceid>		::=	<id></id>
<sequence></sequence>		::=	<actioninstance>+</actioninstance>
<actioninstance< td=""><td>e&gt;</td><td>::=</td><td></td></actioninstance<>	e>	::=	
	<1	Actic	onName> "(" <obj> {"," <obj>} ")" ";"</obj></obj>
<actionname></actionname>		::=	<id></id>
<0bj>		::=	<id></id>

Using the well known *tyre-world* as an example, the following is a sequence containing four action instances, where an action is a name followed by a sequence of affected objects:

open(c1); fetch\_jack(j,c1); fetch\_wrench(wr1,c1); close(c1);

These sequences, which are akin to *workflow event logs*, may be observed from an existing process or supplied by a trainer. In the empirical evaluation below, we have tested the approach using example sequences from existing solvers and from a random walk generator. The output of *LOCM* (given sufficient examples) is a domain model consisting of sorts, object behaviour defined by state machines, predicates defining associations between sorts, and action schema in solver-ready form.

### The LOCM Method

**Phase 1: Extraction of state machines** In our approach, we assume that an object of any given sort occupies one of a fixed set of states. Initially, we assume an object's state can be defined without reference to the associations it has with any other specific objects. *LOCM* starts by first collecting the set of all transitions occurring in the example sequences. A transition is defined by a combination of action name and action argument position. For example, an action *fetch\_wrench(wr1, cntnr)* gives rise to two transitions: *fetch\_wrench.1*, and *fetch\_wrench.2*. Each transition describes the state change of objects of a single sort in isolation. For every transition occurring in the example data, a separate *start* and *end* state are generated.

The trajectory of each object is then tracked through each training sequence. For each pair of transitions  $T_1, T_2$ , which are consecutive for an object Ob, we assume that  $T_1.end = T_2.start$ .

Using a training set from the tyre world, suppose some object c1 goes through a sequence of transitions given in the example used above:

open(c1); fetch\_jack(j,c1); fetch\_wrench(wr1,c1); close(c1);

Let us assign state names to the input and output states of transitions affecting c1:

$$\begin{array}{cccc} S_1 & \Longrightarrow open.1 \Longrightarrow & S_2 \\ S_3 & \Longrightarrow close.1 \Longrightarrow & S_4 \\ S_5 & \Longrightarrow fetch\_jack.2 \Longrightarrow & S_6 \\ S_7 & \Longrightarrow fetch\_wrench.2 \Longrightarrow & S_8 \end{array}$$

Using the example action sequence, and the constraint on consecutive pairs of transitions, we can then deduce that  $S_2 = S_5$ ,  $S_6 = S_7$ ,  $S_8 = S_3$ .

Suppose our example set contains another action sequence:

#### open(c2); fetch\_wrench(wr1,c2); fetch\_jack(j,c2); close(c2);

We deduce that  $S_2 = S_7$ ,  $S_8 = S_5$ ,  $S_6 = S_3$ , and hence  $S_2, S_3, S_5, S_6, S_7, S_8$  all refer to the same state. If additionally we have the sequence:

#### close(c3); open(c3);

We deduce that  $S_4 = S_1$ , hence we have tied together individual states to partially construct a state machine for containers (Fig. 1). A more formal description of the algorithm follows <sup>2</sup>: procedure **LOCM\_I** (Input action sequence Seq) For each combination of action name A and argument pos P for actions occurring in Seq Create transition A.P, comprising new state identifiers A.P.start and A.P.end Add A.P to the transition set TS Collect the set of objects Obs in Seq For each object Ob occurring in Obs For each pair of transitions  $T_1, T_2$ consecutive for Ob in Seq Equate states  $T_1.end$  and  $T_2.start$ end Return TS, transition set

OS, set of object states remaining distinct

At the end of phase 1, *LOCM* has derived a set of state machines, each of which can be identified with a sort.

**Phase 2: Identification of state parameters** Each state machine describes the behaviour of a single object in isolation, without consideration of its association with other objects, e.g. it can distinguish a state of a wrench corresponding to being *in some container*, but does not make provision to describe *which* container it is in.

In the object-centred representation, the dynamic associations between objects are recorded by state parameters embedded in each state. Phase 2 of the algorithm identifies parameters of each state by analysing patterns of object references in the original action steps corresponding to the transitions. For example, consider the state wrench\_state0 for the wrench sort (Fig. 2). Considering the actions for putaway\_wrench(wrench, container), and fetch\_wrench(wrench,container). For a given wrench, consecutive transitions putaway\_wrench, fetch\_wrench, in any example action sequence, always have the same value as their container parameter. From this observation, we can induce that the state wrench\_state0 has a state variable representing container. The same observation does not hold true for wrench\_state1. We can observe instances in the training data where the wrench is fetched from one container, and put away in a different container.

This second phase of the algorithm performs inductive learning such that the hypotheses can be refuted by the examples, but never definitely confirmed. This phase generally requires a larger amount of training data to converge than Phase 1 above. Phase 2 is processed in three steps, shown below in the algorithmic description. The first two steps generate and test the hypothesised correlations in ac-



Figure 1: An incomplete state machine for containers in tyre-world

<sup>&</sup>lt;sup>2</sup>Whereas our system is designed to use multiple training sequences, for simplicity the presentation here uses only a single sequence.



Figure 2: Parameterised states of wrench.

tion arguments, which indicate the need for state parameters. The third step generates the set of induced state parameters.

```
procedure LOCM_II (Input action sequence Seq,
               Transition set TS, Object set Obs)
               Object state set OS)
Form hypotheses from state machine
For each pair A_1.P_1 and A_2.P_2 in TS
    such that A_1.P_1.end = S = A_2.P_2.start
  For each pair A_1.P'_1 and A_2.P'_2 from TS and S in OS
    with A_1.P_1'.sort = A_2.P_2'.sort
    and P_1 \neq P'_1, P_2 \neq P'_2
    (i.e. a pair of the other arguments
    of actions A_1 and A_2 sharing a common sort)
    Store in hypothesis set HS the hypothesis
      that when any object ob undergoes sequentially
      the transitions A_1.P_1 then A_2.P_2,
      there is a single object ob',
        which goes through both of the corresponding
        transitions A_1.P_1' and A_2.P_2'
        (This supports the proposition that state S
        has a state parameter which can record
        the association of ob with ob')
  end
end
Test hypotheses against example sequence
```

For each object Ob occurring in Obs

```
For each pair of transitions A_1.P_1 and A_2.P_2
consecutive for Ob in Seq
Remove from hypothesis set HS any hypothesis
```

which is inconsistent with example action pair end

end

### Generate and reduce set of state parameters

For every hypothesis remaining in HS

create the state parameter supported by the hypothesis Merge state parameters on the basis that

a transition occurring in more than one transition pair

is associated with the same state parameter in each occurrence end

return: state parameters and correlations with action arguments

**Phase 3: Formation of action schema** Extraction of an action schema is performed by extracting the transitions corresponding to its parameters, similar to automated action construction in the OLHE process in (Simpson, Kitchin, and McCluskey 2007). One predicate is created to represent each object state. The output of Phase 2 provides correlations between the action parameters and state parameters

occurring in the start/end states of transitions. For example, the generated *putaway\_wrench* action schema in PDDL is:

The generated predicates *wrench\_state0*, *wrench\_state1*, *container\_state1* can be understood as *in\_container*, *have\_wrench* and *open* respectively. The generated schema can be used directly in a planner. It would also be simple to extract initial and final states from example sequences, but this is of limited utility given that solution plans already exist for those tasks.

# **Evaluation of** *LOCM*

*LOCM* has been implemented in Prolog incorporating the algorithm detailed above. In this paper we attempt to analyse and evaluate it by its application to the acquisition of existing domain models. We have used example plans from two sources:

- Existing domains built using GIPO III. In this case, we have created sets of example action sequences by random walk.
- Domains which were used in IPC planning competitions. In this case, the example traces come from solution plans in the publicly released competition solutions.

We have used *LOCM* to create state machines, object associations and action schema for 4 domains. Evaluation of these results is ongoing, but initial results show that state machines can be deduced from a reasonably small number of plan examples (30-200 steps), whereas inducing the state parameters requires much larger training sets (typically > 1000 steps).

Tyre-world (GIPO version). A correct state machine is derived, corresponding closely to the domain as constructed in GIPO. The induced domain contains extra states for the *jack* sort, but this model is valid. After training to convergence there are 3 parameter flaws. See the end of this section for a discussion of flaws and their automated repair, and fig. 3 for a diagram of the repaired model, Appendix A for action schema).

- Blocks (GIPO version). A correct state machine is derived. After training to convergence there are 3 parameter flaws. The low number of steps needed to derive the state machine is due to there being only 2 sorts in the domain, both of which are involved in every action.
- Driverlog (IPC strips version). State machines and parameters are correct for all sorts except trucks. For trucks, the distinction of states with/without driver is lost, and an extra state parameter (driver) is retained. The state machine for driver is shown in fig. 4
- Freecell (IPC strips version). This is a version of the wellknown patience card game used in the IPC3 competition. There are three sorts discovered in the freecell domain -



Figure 3: Other state machines induced from the tyre-world.



Figure 4: Induced state machine for driver in driverlog domain.

suits, cards and numbers. In the competition version of the domain, number objects are used to represent denominations of cards and to count free cells and free columns. The state machine derived for the cards has 7 states. The states (see fig. 5) can be understood as follows:

- card3 in a column and covered by another card
- card4 in a column and not covered
- card5 in a free cell
- card0 in a home cell
- card1, card2, card6 in a home cell and covered

It is not helpful to distinguish the 3 final states, but *LOCM* cannot determine that they are equivalent. Whilst the *LOCM* results from Freecell are amongst the more interesting we have found, there are a number of problems which need to be overcome in future versions of *LOCM* to extract a usable domain model from freecell plans:

- The distinction is lost between cards which are the bottom of a column and other cards which are in a column. Solving this problem requires weakening of the strong assumptions underpinning phase I.
- *LOCM* doesn't detect background relationships between objects — the adjacency of pairs numbers, and the alternation of black cards on red cards. This could be achieved by inductive learning on the set of all actions which ever occur.

Randomly-generated example data can be different in character from purposeful, goal-directed plans. In a sense, random data is more informative, because the random plan is likely to visit more permutations of action sequences which a goal-directed sequence may not. However, if the useful, goal-directed sequences lead to induction of a state machine with more states, this could be seen as useful heuristic information.

Where there is only one object of a particular sort (e.g. gripper, wrench, container) all hypotheses about matching that sort always hold, and the sort tends to become an internal state parameter of everything. For this reason, it is important to use training data in which more than one object of each sort is used.

The induced models may contain detectable flaws: the existence of a state parameter has been induced, but there are one or more transitions into the state which do not set the state parameter. The flaws usually arise because state parameters are induced only by considering pairs of consecutive transitions, not longer paths.

The inconsistency may indicate that an object reference is carried in from another state without being mentioned in an action's argument. In this case a repair to the model can be proposed, which involves adding the "hidden" parameter to some states, but a further cycle of testing against the example data is required to check that the repair is consistent. The parameters in the state machine shown in fig. 3 and the example operators in Appendix A have been generated from the algorithms described above, together with an initial implementation of an algorithm for detecting, repairing and testing parameter flaws. This was successful at completing a correct and consistent model for the tyre domain. This will be further developed in future work.

The most fundamental limitation is whether it is possible to correctly represent the domain within the limitations of the representation that we use for action schema.

• We assume that an action moves the objects in its argu-



Figure 5: Induced state machine for cards in Freecell domain.

ments between clearly-defined substates. Objects which are passively involved in an action may make a transition to the same state, but cannot be in a *don't care* state.

• Static background information, such as the specific fixed relationships between objects (e.g. which places are connected), is not analysed by the system. In general, this can lead to missing preconditions. The *LOCM* algorithm assumes that all information about an object is represented in its state and state parameters. In general, this form of information may vary anyway between training examples.

## **Related Work**

LOCM is distinct from other systems that learn action schema from examples in that it requires **only** the action sequences as input; its success is based on the assumption that the output domain model can be represented in an objectcentred representation. Other systems require richer input: ARMS (Wu, Yang, and Jiang 2005) makes use of background knowledge as input, comprising types, relations and initial and goal states, while the system of (Shahaf and Amir 2006) appears to efficiently build expressive actions schema, but requires as input specifications of fluents, as well as partial observations of intermediate states between action executions. The *Opmaker* algorithm detailed in (McCluskey et al. 2009) relies on an object-centred approach similar to *LOCM* but it too requires a partial domain model as input as well as a training instance. The TIM domain analysis tool (Fox and Long 1998) uses a similar intermediate representation to *LOCM* (i.e. state space for each sort), but in TIM, the object state machines are extracted from a complete domain definition and problem definition, and then used to derive hierarchical sorts and state invariants.

Learning expressive theories from examples is also a central goal in the Inductive Logic Programming community. We lack space to discuss this literature here, but work by for example (Benson 1996) is very relevant to the induction of planning domain models.

### Conclusion

In this paper, we have described the *LOCM* system and its use in learning domain models (comprising object sorts, state descriptions, and action schema), from example action sequences containing no state information.

Although it is unrealistic to expect example sets of plans to be available for all new domains, we expect the technique to be beneficial in domains where automatic logging of some existing process yields plentiful training data, e.g. games, workflow, online transactions.

The work is at an early stage, but we have already obtained promising results on benchmark domains, and we see many possibilities for further developing the technique. In particular, we expect to be able demonstrate *LOCM* in the competition acquiring usable domain models from action traces of humans playing computer games such as card games.

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# **APPENDIX A**

The operators induced for the tyre domain are shown below in a simplified form of OCL syntax.

```
operator(close_container(Boot1),
 tr(Boot1:boot,
 boot_state0(Boot1) =>
 boot state1(Boot1)
]).
operator(do_up(Nuts1,Hub2,Wrench5,Jack3),
Γ
 tr(Nuts1:nuts,
 nuts_state0(Nuts1) =>
 nuts_state1(Nuts1,Hub2))
 tr(Hub2:hub,
 hub_state0(Hub2,Jack3,Wheel4) =>
 hub_state2(Hub2,Jack3,Nuts1,Wheel4))
 tr(Wrench5:wrench,
 wrench_state1(Wrench5) =>
 wrench_state1(Wrench5))
 tr(Jack3:jack,
  jack_state0(Jack3,Hub2) =>
  jack_state2(Jack3,Hub2)
]).
operator(fetch_jack(Jack1,Boot2),
ſ
 tr(Jack1:jack,
  jack_state4(Jack1,Boot2) =>
  jack_state3(Jack1))
```

```
tr(Boot2:boot,
 boot_state0(Boot2) =>
 boot_state0(Boot2)
]).
operator(fetch_wheel(Wheel1,Boot2),
Γ
 tr(Wheel1:wheel,
 wheel_state2(Wheel1,Boot2) =>
 wheel state1(Wheel1))
 tr(Boot2:boot,
 boot_state0(Boot2) =>
 boot_state0(Boot2)
1).
operator(fetch_wrench(Wrench1,Boot2),
 tr(Wrench1:wrench,
 wrench_state0(Wrench1,Boot2) =>
 wrench_state1(Wrench1))
 tr(Boot2:boot,
 boot_state0(Boot2) =>
 boot_state0(Boot2)
]).
operator(jack_down(Hub1,Jack2),
ſ
 tr(Hub1:hub,
 hub_state2(Hub1,Jack2,Nuts3,Wheel4) =>
 hub_state3(Hub1,Nuts3,Wheel4))
 tr(Jack2:jack,
  jack_state2(Jack2,Hub1) =>
  jack_state3(Jack2)
]).
operator(jack_up(Hub1,Jack4),
Γ
 tr(Hub1:hub,
 hub_state3(Hub1,Nuts2,Wheel3) =>
 hub_state2(Hub1,Jack4,Nuts2,Wheel3))
 tr(Jack4:jack,
  jack_state3(Jack4) =>
  jack_state2(Jack4,Hub1)
]).
operator(loosen(Nuts1,Hub2,Wrench4),
 tr(Nuts1:nuts,
 nuts_state2(Nuts1,Hub2) =>
 nuts_state1(Nuts1,Hub2))
 tr(Hub2:hub,
 hub_state3(Hub2,Nuts1,Wheel3) =>
 hub_state3(Hub2,Nuts1,Wheel3))
 tr(Wrench4:wrench,
 wrench_state1(Wrench4) =>
  wrench_state1(Wrench4)
]).
operator(open_container(Boot1),
Γ
 tr(Boot1:boot,
 boot_state1(Boot1) =>
 boot_state0(Boot1)
]).
```

```
operator(put_on_wheel(Wheel1,Hub2,Jack3),
[
 tr(Wheel1:wheel,
 wheel_state1(Wheel1) =>
 wheel_state0(Wheel1,Hub2))
 tr(Hub2:hub,
 hub_state1(Hub2,Jack3) =>
 hub_state0(Hub2,Jack3,Wheel1))
 tr(Jack3:jack,
  jack_state1(Jack3,Hub2) =>
  jack_state0(Jack3,Hub2)
]).
operator(putaway_jack(Jack1,Boot2),
Γ
 tr(Jack1:jack,
  jack_state3(Jack1) =>
  jack_state4(Jack1,Boot2))
 tr(Boot2:boot,
 boot_state0(Boot2) =>
 boot_state0(Boot2)
]).
operator(putaway_wheel(Wheel1,Boot2),
Γ
 tr(Wheel1:wheel,
 wheel_state1(Wheel1) =>
 wheel_state2(Wheel1,Boot2))
 tr(Boot2:boot,
 boot_state0(Boot2) =>
 boot_state0(Boot2)
1).
operator(putaway_wrench(Wrench1,Boot2),
Γ
 tr(Wrench1:wrench,
 wrench state1(Wrench1) =>
 wrench_state0(Wrench1,Boot2))
 tr(Boot2:boot,
 boot_state0(Boot2) =>
 boot_state0(Boot2)
]).
operator(remove_wheel(Wheel1,Hub2,Jack3),
ſ
 tr(Wheel1:wheel,
  wheel_state0(Wheel1,Hub2) =>
 wheel_state1(Wheel1))
 tr(Hub2:hub,
 hub_state0(Hub2,Jack3,Wheel1) =>
 hub_state1(Hub2,Jack3))
 tr(Jack3:jack,
  jack_state0(Jack3,Hub2) =>
  jack_state1(Jack3,Hub2)
]).
operator(tighten(Nuts1,Hub2,Wrench4),
[
 tr(Nuts1:nuts,
 nuts_state1(Nuts1,Hub2) =>
 nuts_state2(Nuts1,Hub2))
 tr(Hub2:hub,
 hub_state3(Hub2,Nuts1,Wheel3) =>
 hub_state3(Hub2,Nuts1,Wheel3))
 tr(Wrench4:wrench,
```

```
wrench_state1(Wrench4) =>
 wrench_state1(Wrench4)
]).
operator(undo(Nuts1,Hub2,Wrench5,Jack3),
[
 tr(Nuts1:nuts,
 nuts_state1(Nuts1,Hub2) =>
 nuts_state0(Nuts1))
 tr(Hub2:hub,
 hub_state2(Hub2,Jack3,Nuts1,Wheel4) =>
 hub_state0(Hub2,Jack3,Wheel4))
 tr(Wrench5:wrench,
 wrench_state1(Wrench5) =>
 wrench_state1(Wrench5))
 tr(Jack3:jack,
  jack_state2(Jack3,Hub2) =>
  jack_state0(Jack3,Hub2)
]).
```